



## Using WRF output in the ICP



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Spatial Forecast Verification Methods Inter-Comparison Project (ICP)

- Motivation and Goals for the ICP
- Summary of Methods included
- Case Studies

# Example



- First four forecasts have POD=0; FAR=1; CSI=0
  - i.e., all are equally "BAD"
- Fifth forecast has POD>0, FAR<1, CSI>1
- Traditional verification approach identifies "worst" forecast as the "best"

# What makes a good forecast?







Ultimate Goal: Set of guidelines for users

Challenges

- Comparing wide variety of methods each yielding different types of information.
- Difficult to determine true quality even for a human (subjective) observer.
- Multiple types of possible errors (displacement, intensity, coverage, etc.).

Four primary categories (not all methods fit to this exactly)

- Features-based
- Field Verification
- Neighborhood-based
- Scale Decomposition

See web site given at end of this talk for full references.

- Davis et al. (2006a, 2006b) (now called MODE)
- Ebert and McBride (2000), Contiguous Rain Area (CRA)
  - Numerous modifications (e.g., Grams et al. (2006))
- Marzban and Sandgathe (2006a, 2006b), Cluster Analysis (CA)
- Nachamkin (2004), Composite Method
- Micheas *et al.* (2006), Cell Identification/Procrustes Shape Analysis
- Wernli et al. (2007), Structure, Amplitude and Location (SAL)

Let **F** represent the forecast field, and **A** the analysis field. The idea is to compare  $\varphi(\mathbf{F})$  with **A**, where  $\varphi(\mathbf{F})$  is some kind of morph of **F** such that some discrepancy measure is minimized, and performance is judged by the "amount" of morphing required.

Keil and Craig (Submitted to MWR), Forecast Quality Measure (FQM)

Traditional verification scores compared at different scales of resolution to determine highest resolution with desired *skill*.

Numerous methods proposed under this heading, see Ebert (2006) for an excellent review. **F** and **A** (or  $\Delta = ||\mathbf{F} - \mathbf{A}||$ ) decomposed via a single-band spatial filter (e.g., Fourier transforms, wavelets, etc.). For example,

$$\Delta(\mathbf{x}) = \sum a_i \varphi(\mathbf{x}_i)$$

Compute traditional scores at each scale (i.e., wave number), or at each scale set all other coefficients to zero and inverse transform, then compute score on (smoothed) field.

- Briggs and Levine (1997)
- Casati et al. (2004), Intensity-scale
- Harris *et al.* (2001), (not performed on different scales separately)
- Mittermeier (2006), (expansion of Casati *et al.* for operational use)
- Zepeda-Arce et al. (2000)
- more . . .

- Various *real* cases. Beginning with NCEP Spring 2005 Program output.
  - WRF 4-km NCEP
  - $-\operatorname{WRF}$  4-km NCAR
  - WRF 2-km<sup>\*</sup>
  - Stage II Analysis
- Known perturbations of one or more real cases (i.e., known errors).
- Simple and contrived cases (e.g., Baldwin and Kain (2006)).
- \*All output and analysis are first put onto the same 4-km grid.

## Case studies: Real Cases

#### First Set Storm Prediction Center (SPC) Spring 2005 Program Precipitation.



wrf4ncar\_2005051300.pcp1.g240.f24







wrf4ncep\_2005051300.pcp1.g240.f24



- Initially 9 hand-selected cases used (plan to look at about 30).
- 1-h precipitation accumulations.
- 501  $\times$  601 grid.
- $\approx$  4-km grid squares.

## Case studies: Real Cases

#### Questions to answer/Information to glean

- How does each method compare with subjective assessments?
- What is the most important aspect of forecast quality for each method?
- Information on scales that are appropriate.
- Clarification on how the forecast fails.
- Easily interpretable results?
- How to better use the forecast.
- Are there meteorological situations that one method is better equipped to handle?

## Case studies: Known errors

#### Perturbed real cases How does each method inform the user about various types of errors?



## Case studies: Known errors

#### Simple contrived cases

Sensitivity of each method to particular types of errors (e.g., size, shape, density, smoothness, etc.).

Can the forecast be *hedged* to obtain a better score?





That's all!

Project website

http://www.rap.ucar.edu/projects/icp